

Status of the TASK project and BPSI in Japan

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in collaboration with

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Contents

- BPSI: Burning Plasma Simulation Initiative
- TASK: Core Code for Integrated Modeling
- Summary

Background

- **Experiments: Significant Progress in Diagnostics**
 - High resolution in space and time
 - Electromagnetic field in plasmas
 - ITER burning plasma: more than 10 years from now
- **Theory: Better Understanding in Nonlinear Physics**
 - Structure formation, zonal flow, . . .
- **Simulation: Detailed Simulation of Individual Phenomenon**
 - Exponential growth of computation resources and network speed
 - Progress in computation technique
 - Lack of methodology to describe a entire picture of plasmas

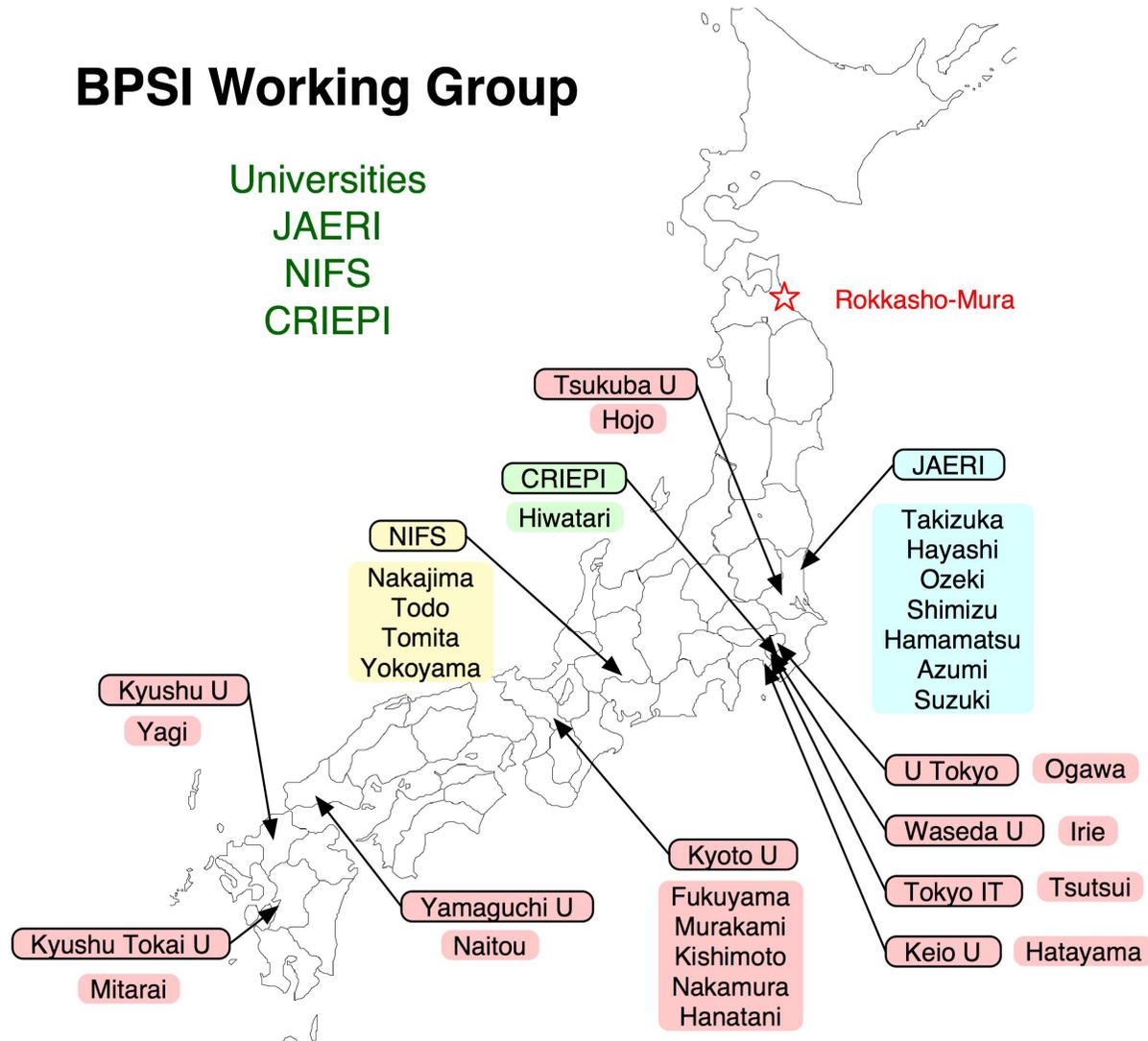
Burning Plasma Simulation

- **Why needed?**
 - To predict the behavior of burning plasmas
 - To develop reliable and efficient schemes to control them
- **What is needed?**
 - **Simulation describing a burning plasma:**
 - **Whole plasma** (core & edge & divertor & wall-plasma)
 - **Whole discharge**
(startup & sustainment & transients events & termination)
 - **Reasonable accuracy** (comparison with experiments)
 - **Reasonable computer resources** (still limited)
- **How can we do?**
 - Gradual increase of understanding and accuracy
 - Organized development of simulation system

BPSI: Burning Plasma Simulation Initiative

BPSI: Research Collaboration among Universities, NIFS and JAERI

BPSI Working Group



Targets of BPSI

- **Framework** for collaboration of various plasma simulation codes
 - **Common interface** for data transfer
 - **Reference core code**, TASK
 - **Helical configuration** included
- **New Physics** in interactions of phenomena with different time and space scales (e.g.)
 - **Transport during and after a transient MHD events**
 - **Transport in the presence of magnetic islands**
 - **Core-SOL interface**
- **Advanced technique** of computer science
 - **Parallel computing**: PC cluster, Massively Parallel, Vector-Parallel
 - **Distributed computing**: GRID computing, Globus, ITBL
 - **Visualization**: Parallel visualization, VisiGRID

Activities of BPSI

- **Meetings**

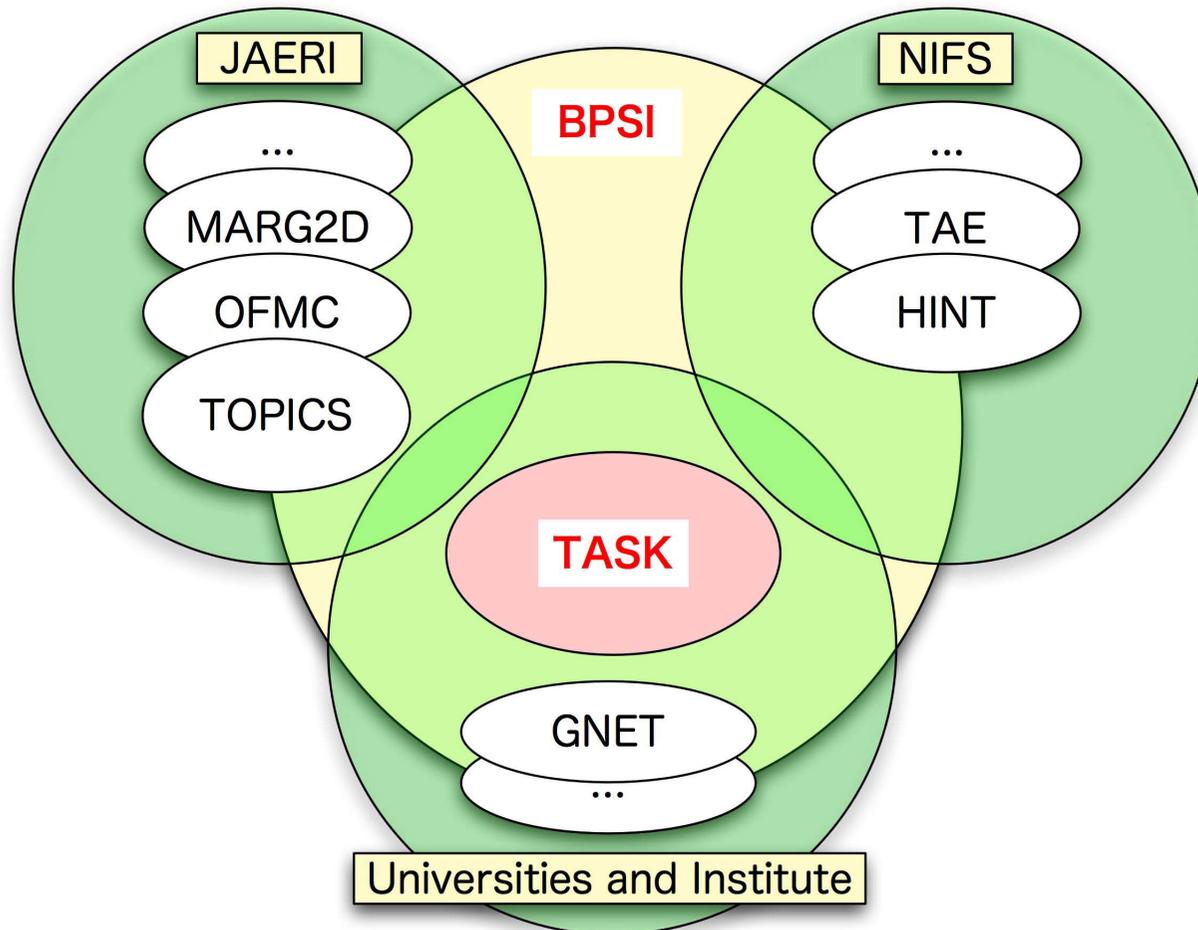
| | | |
|-----------------|---------------------------------|------------|
| 2002 Aug | Preparatory discussion | (NIFS) |
| 2002 | Small topical meetings | (Kyoto U) |
| 2003 Aug | 1st BPSI meeting | (Kyoto U) |
| 2003 Dec | US-Japan workshop | (Kyoto U) |
| 2004 Mar | 2nd BPSI meeting | (Kyushu U) |
| 2004 Aug | 3rd BPSI meeting | (Kyushu U) |
| 2004 Sep | US-Japan workshop | (PPPL) |
| 2005 Apr | 4th BPSI meeting during ITPA(?) | (Kyoto U) |

- **Support** from various resources

- Grant-in-Aid from JSPS (M. Yagi, Kyushu U)
- Part of Grant-in-Aid from MEXT (S.-I. Itoh, Kyushu U)
- Research collaboration of RIAM, Kyushu U (M. Yagi, Kyushu U)
- Research collaboration of NIFS (Y. Nakamura Kyoto U)
- Research collaboration of JAERI (A. Fukuyama, Kyoto U)
- US-Japan JIFT Workshop from JSPS (A. Fukuyama, Kyoto U)
- **Only for meeting support at present**

BPSI and TASK

TASK: Core code of BPSI for ITER, JT-60, LHD, and small machines



TASK Code

- **Transport Analysing System for Tokamak**
- **Features**
 - **A Core of Integrated Modelling Code in BPSI**
 - Modular Structure
 - Reference Data Interface
 - **Various Heating and Current Drive Scheme**
 - EC, LH, IC, AW, (NB)
 - **High Portability**
 - Most of Library Routines Included (except LAPACK)
 - Own Graphic Libraries (gsaf, gsgl)
 - **Development using CVS** (Concurrent Version System)
 - Open Source (by the end of 2004)
 - **Parallel Processing using MPI Library**
 - **Extension to Toroidal Helical Plasmas**

Modules of TASK

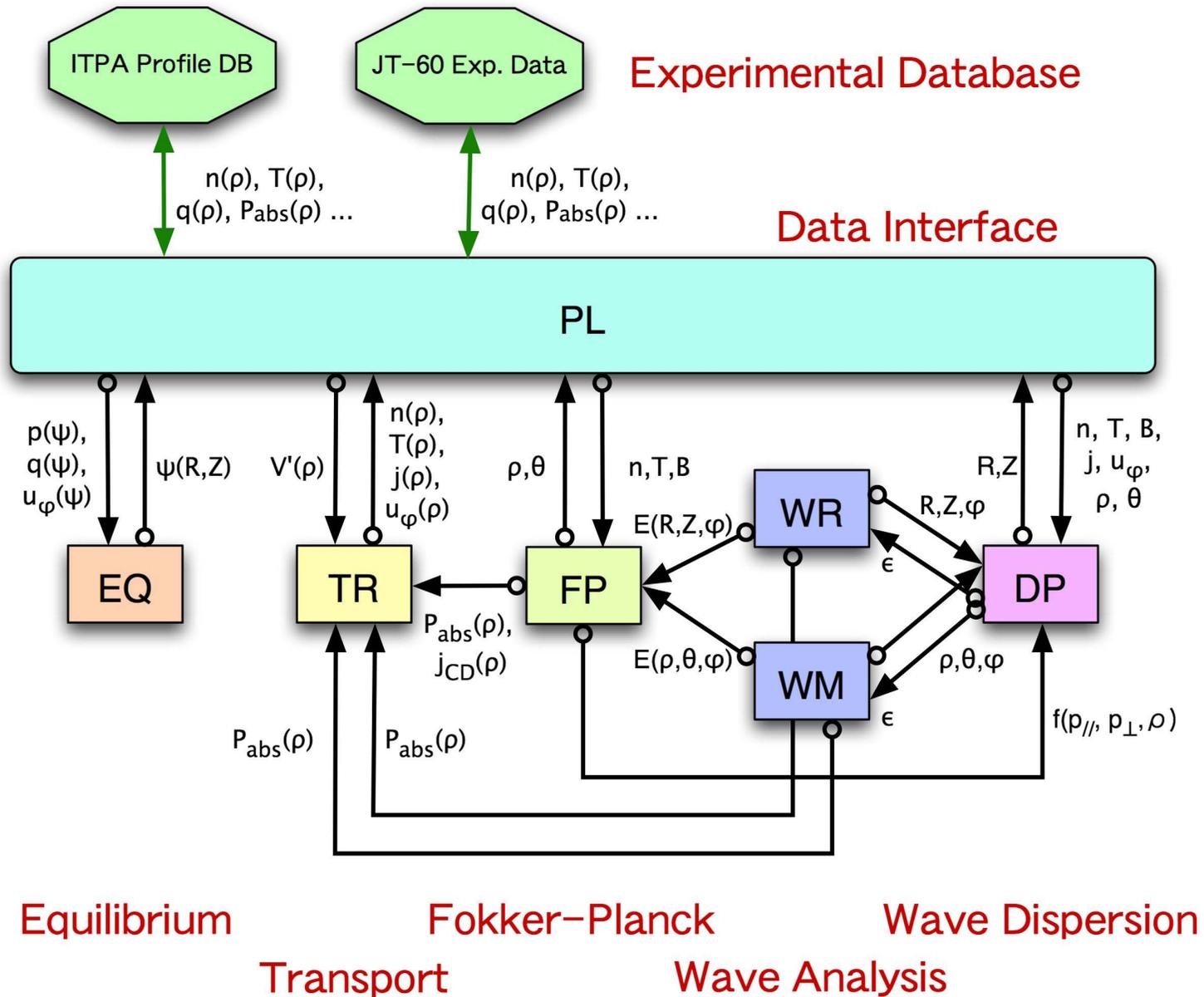
| | | |
|------------|---------------------------|--|
| EQ | 2D Equilibrium | Fixed boundary, Toroidal rotation |
| TR | 1D Transport | Diffusive Transport, Transport models |
| WR | 3D Geometr. Optics | EC, LH: Ray tracing, Beam tracing |
| WM | 3D Full Wave | IC, AW: Antenna excitation, Eigen mode |
| FP | 3D Fokker-Planck | Relativistic, Bounce-averaged |
| DP | Wave Dispersion | Local dielectric tensor, Arbitrary $f(\mathbf{v})$ |
| PL | Data Interface | Data conversion, Profile database |
| LIB | Libraries | |

Associated Libraries

| | |
|-------------|---|
| GSAF | 2D Graphic library for X Window and EPS |
| GSGL | 3D Graphic library using OpenGL |

All developed in Kyoto U

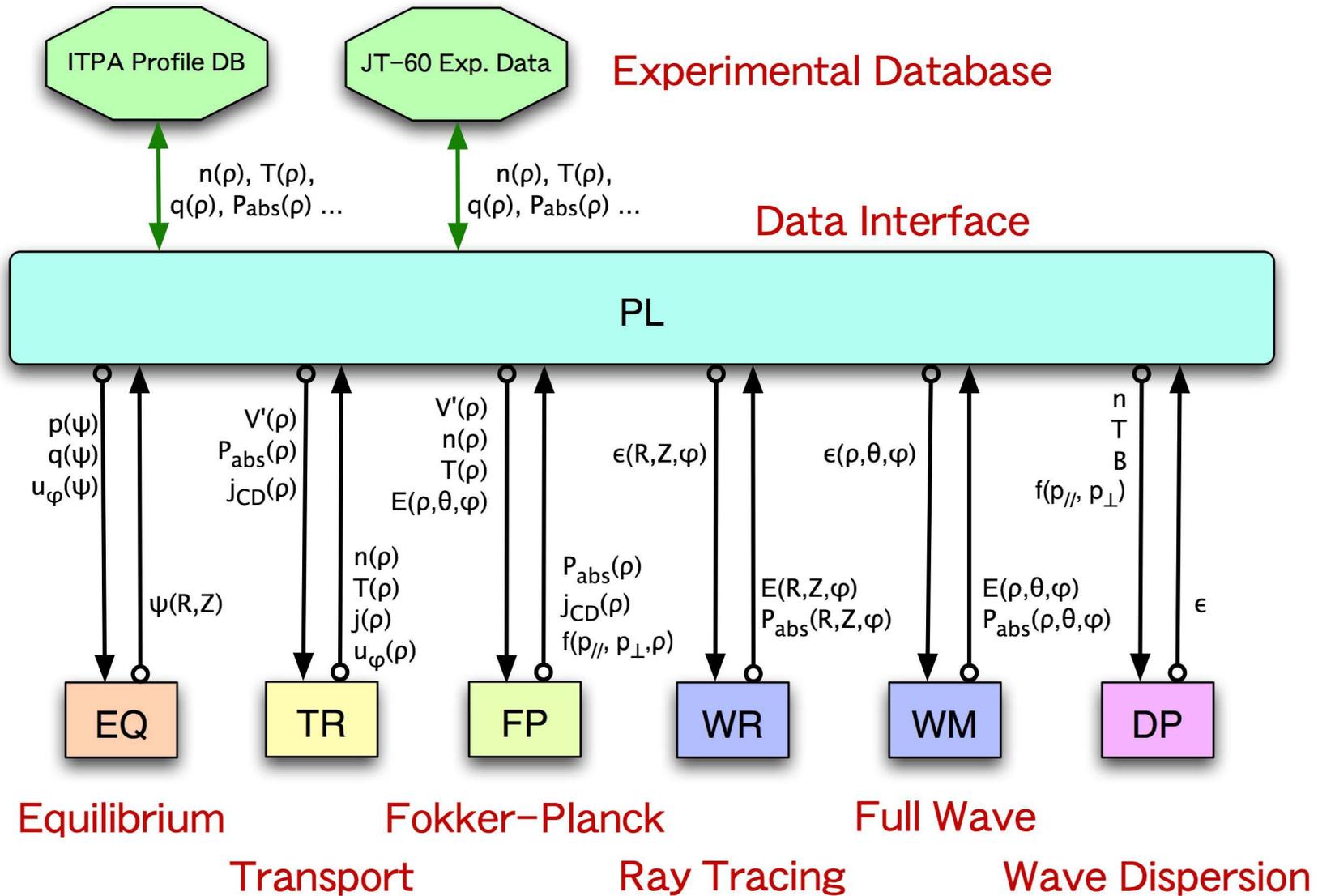
Present Structure of TASK



Under Development

- **New Modules**
 - **EX**: 2D equilibrium with free boundary
 - **TX**: Transport analysis based on flux-averaged fluid equation
 - **WA**: Global linear stability analysis
 - **WI**: Integro-differential wave analysis (FLR, $k \cdot \nabla B \neq 0$)
- **Extension to 3D Helical System**
 - **3D Data Structure**
 - **3D Equilibrium**: VMEC, HINT
 - **Wave Analysis**: Already 3D
 - **Transport Analysis**: New transport model
- **New Modular Structure**

New Modular Structure of TASK



ECCD analysis : TASK/WR/FP/DP

Geometrical Optics: TASK/WR

- **Ray Tracing Method:**

- Plane wave: beam size $d \gg$ Wave length λ
- **6 Ordinary Differential Equations** for $r_\alpha, k_\alpha,$

- **Beam Tracing Method**

- Analysis of wave propagation with finite beam size
- **Beam shape** : Gaussian beam
- **18 Ordinary Differential Equations** for $r_\alpha, k_\alpha, s_{\alpha\beta}$ and $\phi_{\alpha\beta}$
 - **Curvature radius**: $R_\alpha = 1/\lambda s_{\alpha\alpha},$
 - **Beam radius**: $d_\alpha = \sqrt{2/\phi_{\alpha\alpha}}$

Fokker-Planck Analysis : TASK/FP

- **Fokker-Planck equation**

for **velocity distribution function** $f(p_{\parallel}, p_{\perp}, \psi, t)$

$$\frac{\partial f}{\partial t} = E(f) + C(f) + Q(f) + L(f)$$

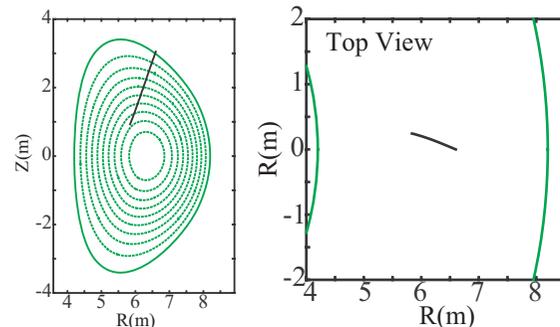
- $E(f)$: Acceleration term due to DC electric field
 - $C(f)$: Coulomb collision term
 - $Q(f)$: Quasi-linear term due to wave-particle resonance
 - $L(f)$: Spatial diffusion term
- **Bounce-averaged**: Trapped particle effect, zero banana width
 - **Relativistic**: momentum p , weakly relativistic collision term
 - **Nonlinear collision**: momentum or energy conservation
 - **Three-dimensional**: spatial diffusion (neoclassical, turbulent)

Wave Dispersion Analysis : TASK/DP

- **Various Models of Dispersion Tensor $\overleftrightarrow{\epsilon}(\omega, k; r)$:**
 - Resistive MHD model
 - Collisional cold plasma model
 - Collisional warm plasma model
 - Kinetic plasma model (Maxwellian, non-relativistic)
 - Kinetic plasma model (Arbitrary $f(v)$, relativistic)
 - Gyro-kinetic plasma model (Maxwellian, non-relativistic)
 - **Gyro-kinetic plasma model (Arbitrary $f(v)$, non-relativistic)**
- **Arbitrary $f(v)$:**
 - **Relativistic Maxwellian**
 - **Output of TASK/FP**

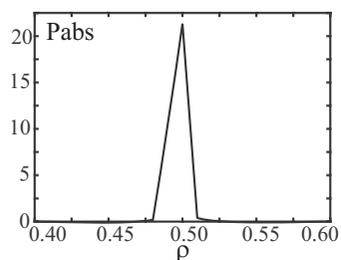
Analysis of ECCD by TASK Code

Poloidal angle 70°
 Toroidal angle 20°
 Initial beam radius 0.05 m
 Initial beam curvature 2 m

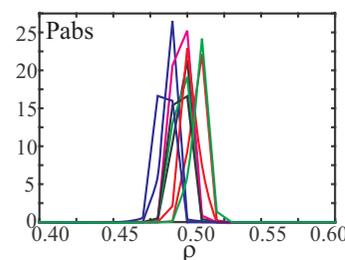


Ray/Beam Profile

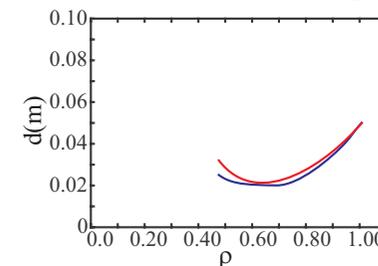
One Ray



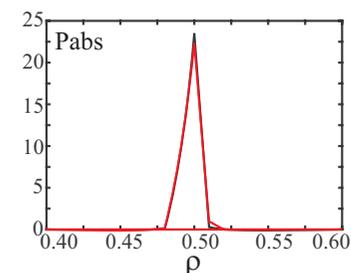
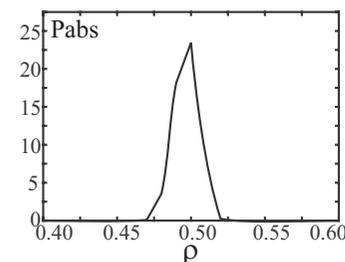
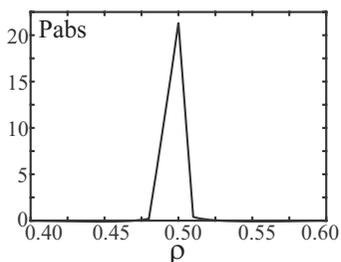
Multi Rays



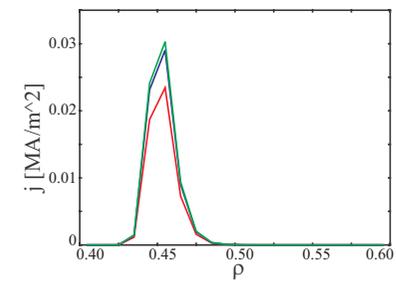
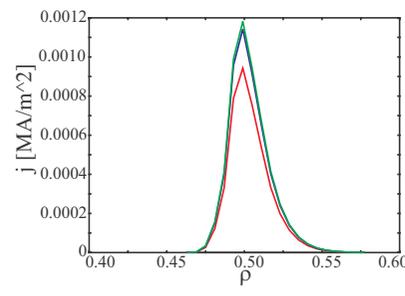
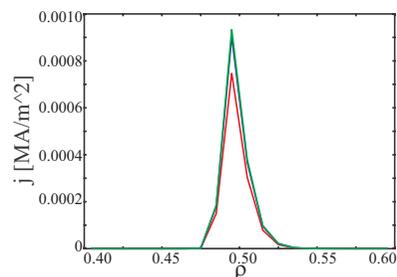
Beam Tracing



P_{abs} Profile



j_{CD} Profile



Full wave analysis: TASK/WM

- **magnetic surface coordinate**: (ψ, θ, φ)

- Boundary-value problem of **Maxwell's equation**

$$\nabla \times \nabla \times \mathbf{E} = \frac{\omega^2}{c^2} \overleftrightarrow{\epsilon} \cdot \mathbf{E} + i \omega \mu_0 \mathbf{j}_{\text{ext}}$$

- Kinetic **dielectric tensor**: $\overleftrightarrow{\epsilon}$

- **Wave-particle resonance**: $Z[(\omega - n\omega_c)/k_{\parallel}v_{\text{th}}]$

- **Fast ion: Drift-kinetic**

$$\left[\frac{\partial}{\partial t} + v_{\parallel} \nabla_{\parallel} + (\mathbf{v}_d + \mathbf{v}_E) \cdot \nabla + \frac{e_{\alpha}}{m_{\alpha}} (v_{\parallel} E_{\parallel} + \mathbf{v}_d \cdot \mathbf{E}) \frac{\partial}{\partial \epsilon} \right] f_{\alpha} = 0$$

- Poloidal and toroidal **mode expansion**

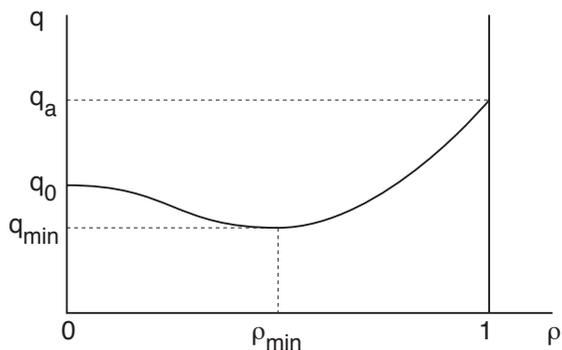
- **Accurate estimation of k_{\parallel}**

- Eigenmode analysis: **Complex eigen frequency** which maximize wave amplitude for fixed excitation proportional to electron density

Analysis of TAE in Reversed Shear Configuration

q_{\min} Dependence of Eigenmode Frequency

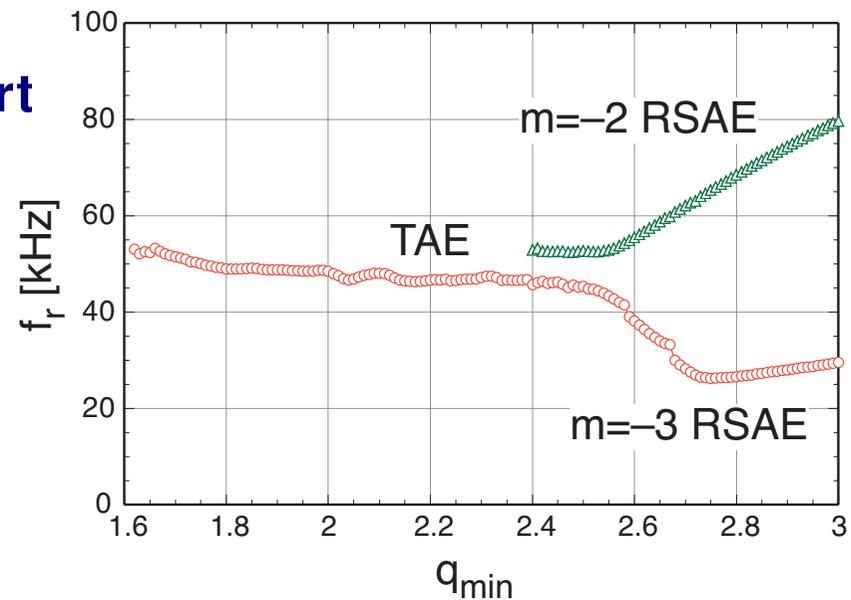
Assumed q profile



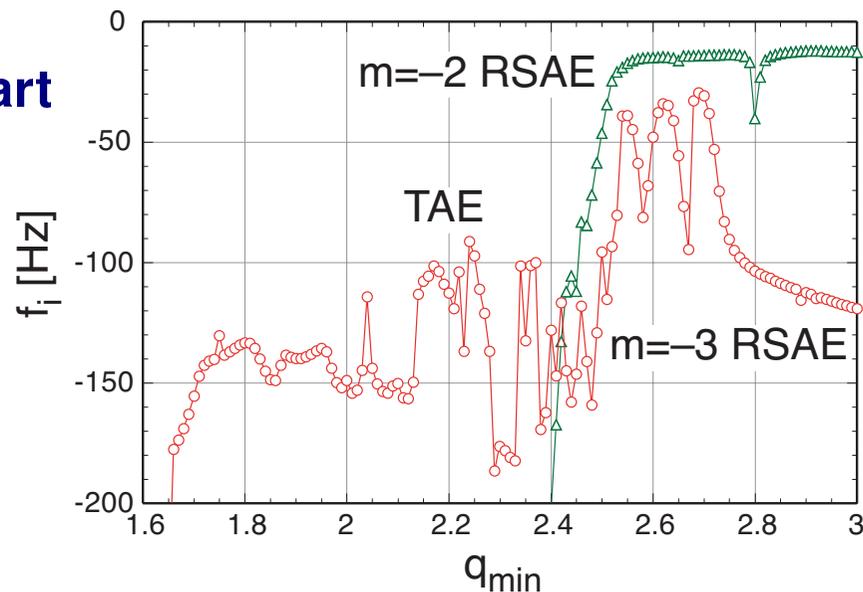
Plasma Parameters

- R_0 3 m
- a 1 m
- B_0 3 T
- $n_e(0)$ 10^{20} m^{-3}
- $T(0)$ 3 keV
- $q(0)$ 3
- $q(a)$ 5
- ρ_{\min} 0.5
- n 1
- Flat density profile

Real part

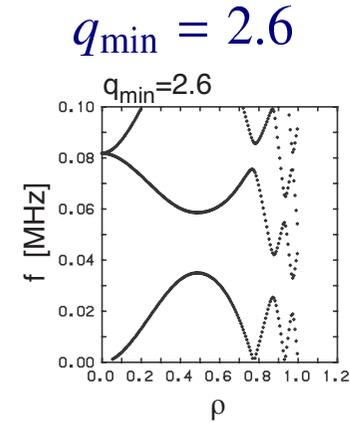
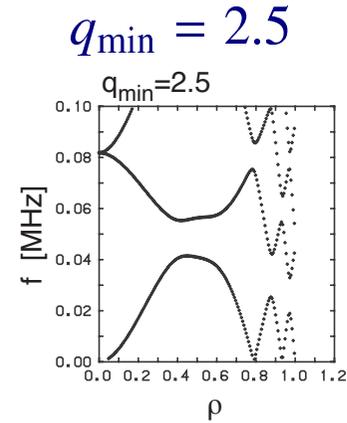
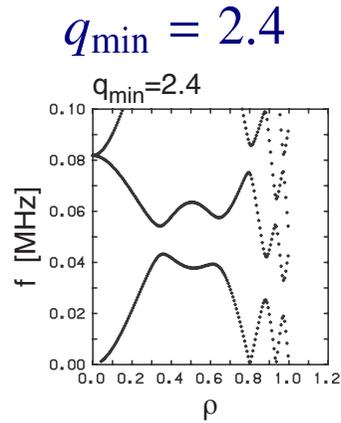


Imag part

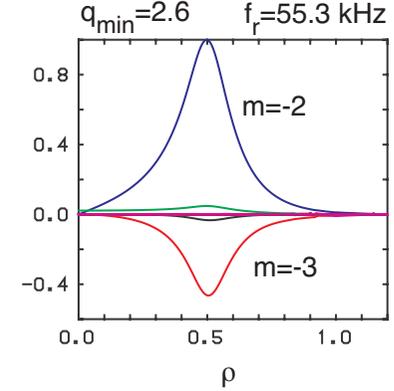
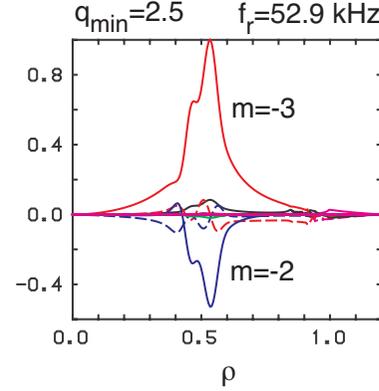
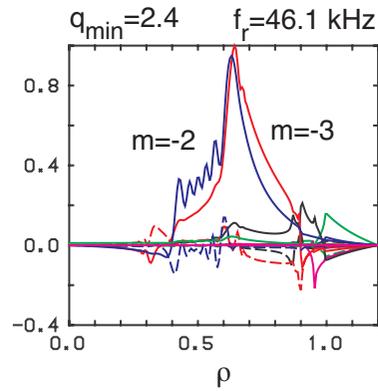


Eigenmode Structure

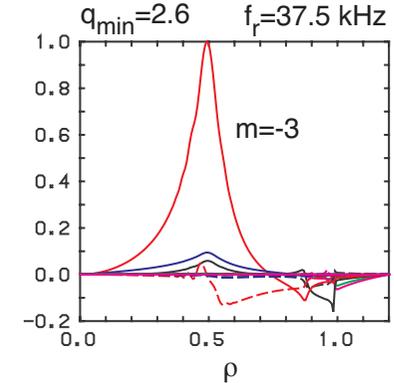
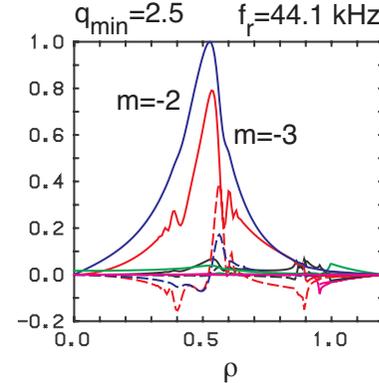
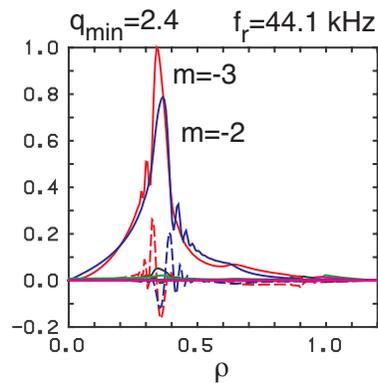
Alfvén resonance



Higher freq.



Lower freq.



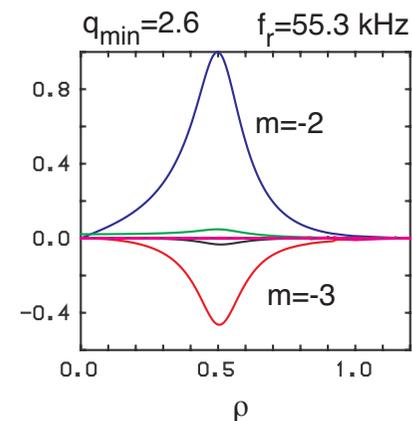
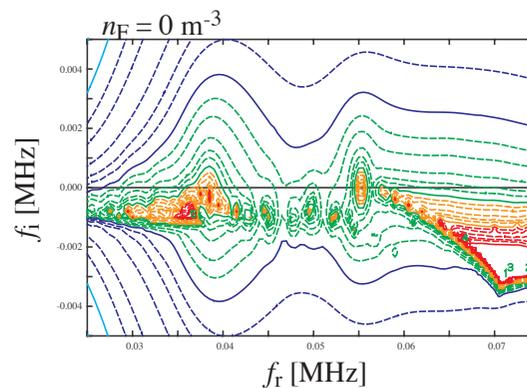
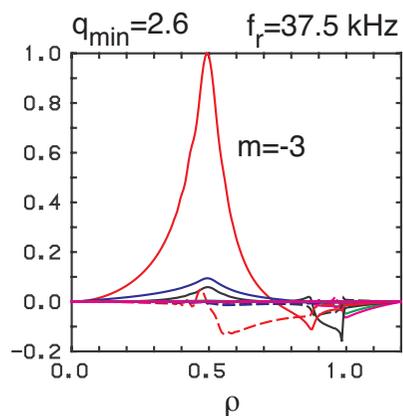
TAEs

Double TAE

RSAE

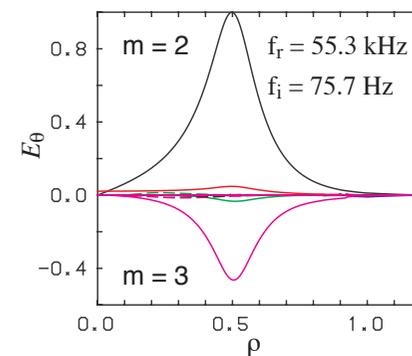
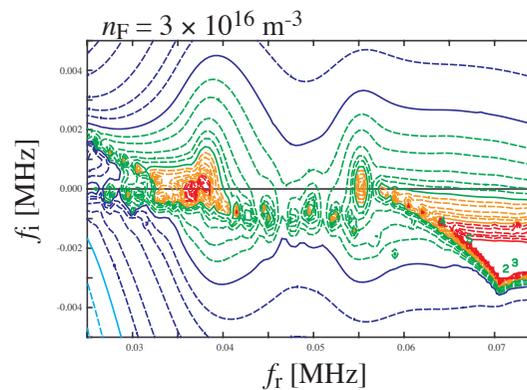
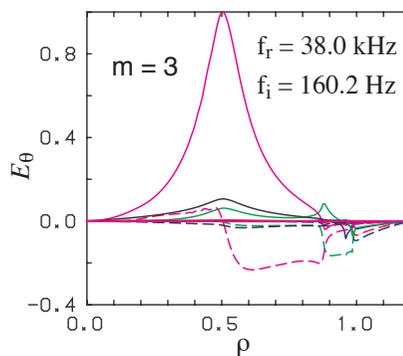
Excitation by Energetic Particles ($q_{\min} = 2.6$)

- Without EP



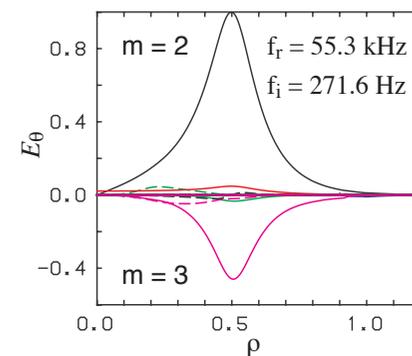
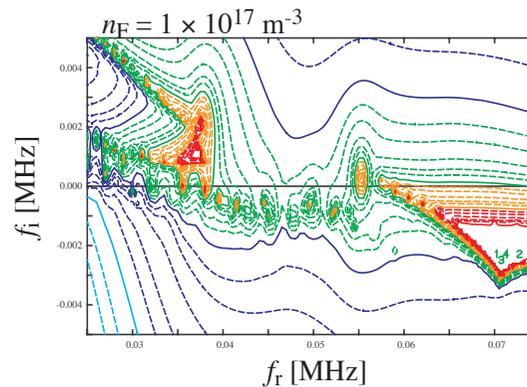
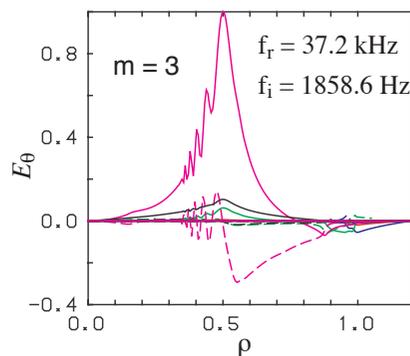
- With EP

3×10^{16} m⁻³
 360 keV
 0.5 m



- With EP

1×10^{17} m⁻³
 360 keV
 0.5 m



Transport Analysis

- **Level of Analysis:**
 - **TASK/TR**: Diffusive transport equation:
 - Flux-Gradient relation
 - Conventional transport analysis
 - **TASK/TX**: Dynamical transport equation:
 - Flux-averaged fluid equation
 - Plasma rotation and transient phenomena
 - **TASK/FP**: Kinetic transport equation:
 - Bounce-averaged Fokker-Plank equation
 - Modification of momentum distribution

Diffusive Transport Analysis: TASK/TR

- **Transport Equation Based on Gradient-Flux Relation**
 - **Multi thermal species**: e.g. Electron, D, T, He
 - Density, thermal energy, (toroidal rotation)
 - **Two beam components**: Beam ion, Energetic α
 - Density, toroidal rotation
 - **Neutral**: Two component (cold and hot), Diffusion equation
 - **Impurity**: Thermal species or fixed profile
- **Transport Model**
 - **Neoclassical**: Wilson, Hinton & Hazeltine, Sauter, NCLASS
 - **Turbulent**: CDBM (current diffusive ballooning mode), GLF23 (V1.61), IFS/PPPL, Weiland
- **Interface to Experimental Data**
 - UFILE (ITPA profile DB)

CDBM Turbulence Model

- **Marginal Stability Condition** ($\gamma = 0$)

$$\chi_{\text{TB}} = F(s, \alpha, \kappa, \omega_{E1}) \alpha^{3/2} \frac{c^2}{\omega_{pe}^2} \frac{v_A}{qR}$$

Magnetic shear

$$s \equiv \frac{r}{q} \frac{dq}{dr}$$

Pressure gradient

$$\alpha \equiv -q^2 R \frac{d\beta}{dr}$$

Magnetic curvature

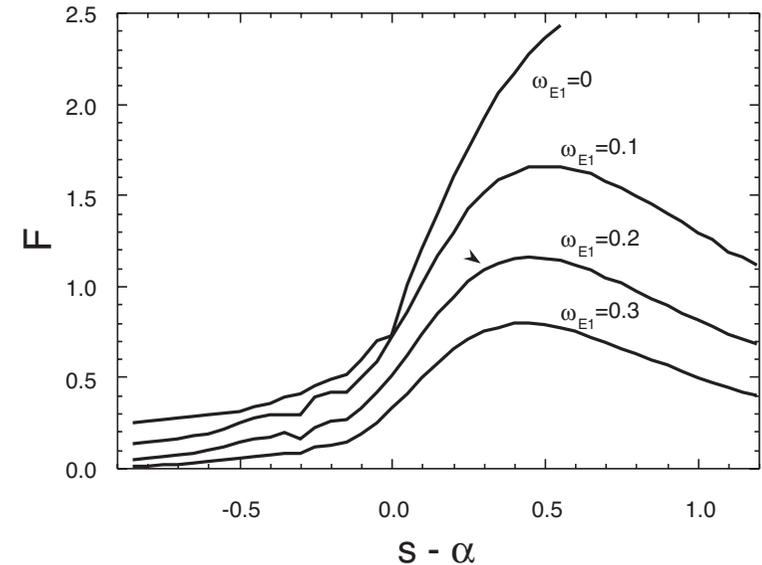
$$\kappa \equiv -\frac{r}{R} \left(1 - \frac{1}{q^2}\right)$$

$E \times B$ rotation shear

$$\omega_{E1} \equiv \frac{r^2}{sv_A} \frac{d}{dr} \frac{E}{rB}$$

- **Weak and negative magnetic shear,**
Shafranov shift and
 $E \times B$ rotation shear
reduce thermal diffusivity.

$s - \alpha$ dependence of
 $F(s, \alpha, \kappa, \omega_{E1})$



Fitting Formula

$$F = \begin{cases} \frac{1}{1 + G_1 \omega_{E1}^2} \frac{1}{\sqrt{2(1 - 2s')(1 - 2s' + 3s'^2)}} & \text{for } s' = s - \alpha < 0 \\ \frac{1}{1 + G_1 \omega_{E1}^2} \frac{1 + 9\sqrt{2}s'^{5/2}}{\sqrt{2}(1 - 2s' + 3s'^2 + 2s'^3)} & \text{for } s' = s - \alpha > 0 \end{cases}$$

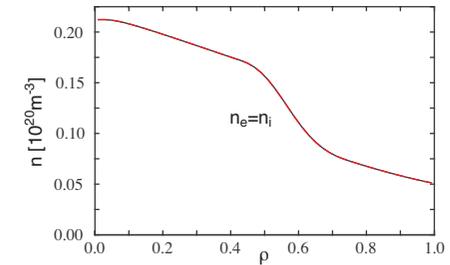
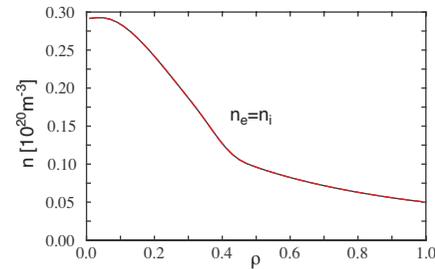
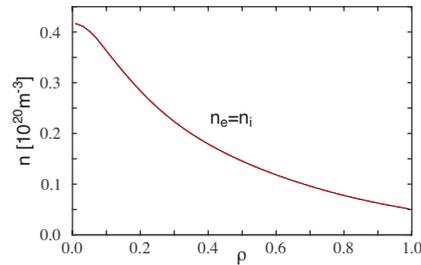
Typical Profile (CDBM+NCLASS)

L-mode

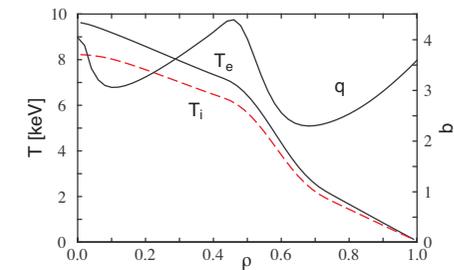
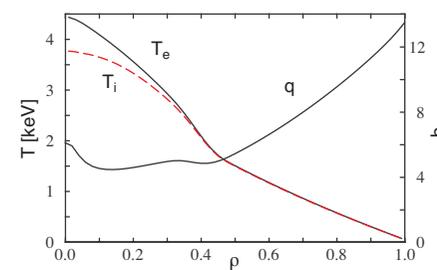
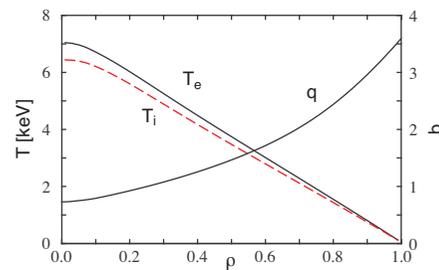
High β_p

Reversed shear

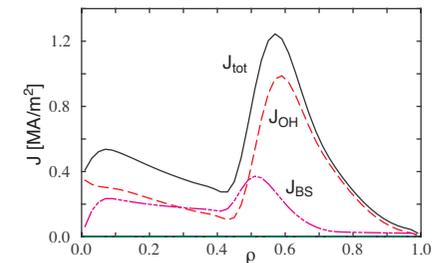
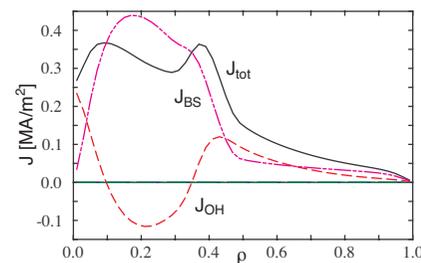
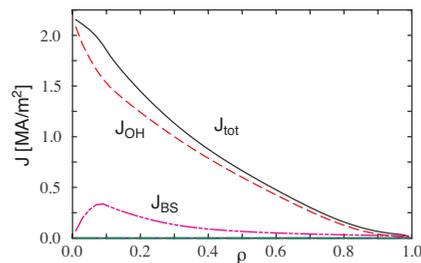
$n(\rho)$



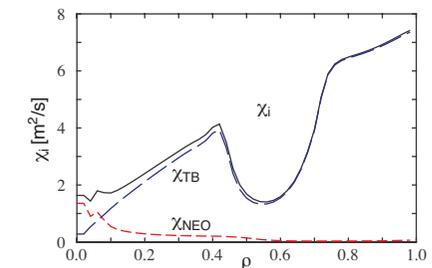
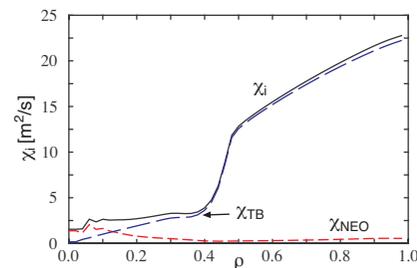
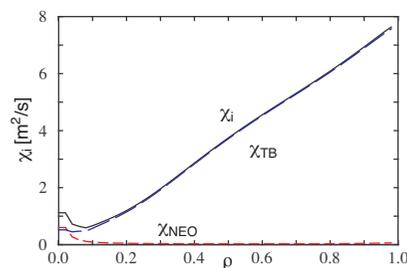
$T(\rho), q(\rho)$



$j(\rho)$

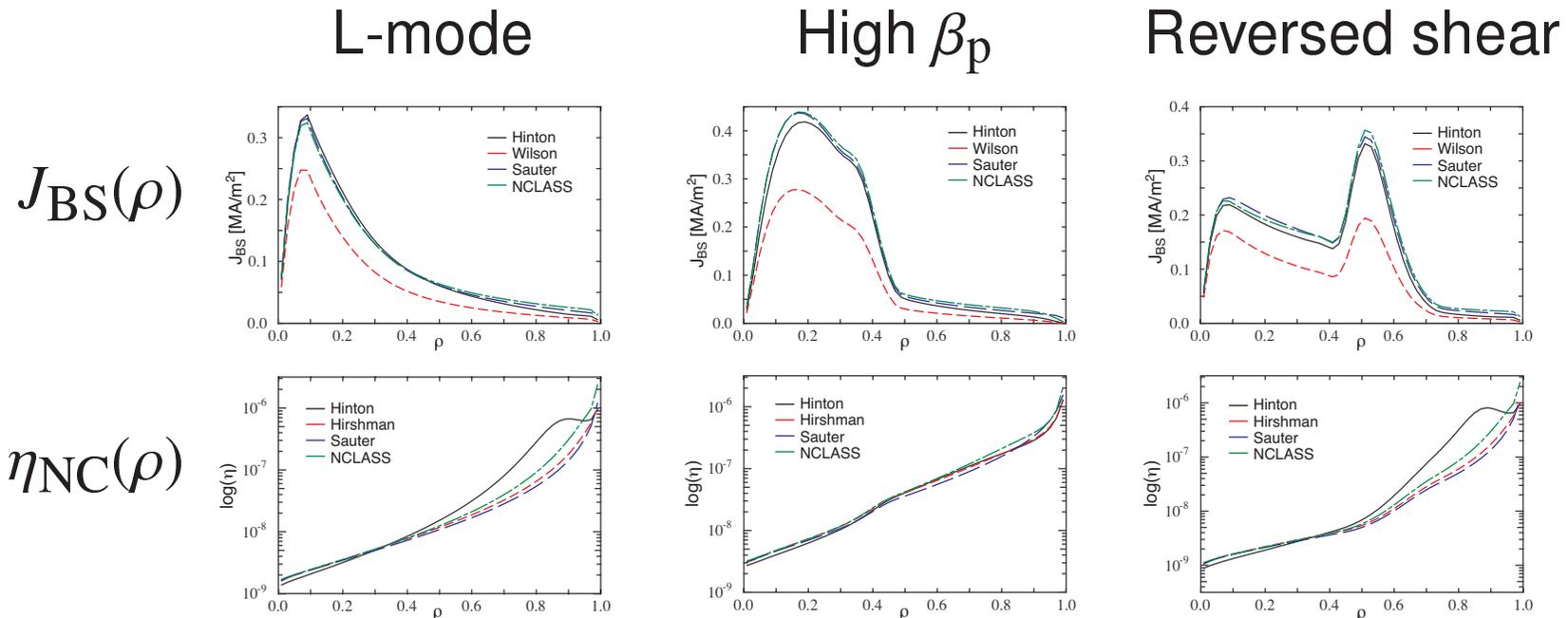


$\chi_i(\rho)$



Neoclassical Transport Model

- **Comparison of Bootstrap Current and Resistivity**
 - **Wilson model**: from “Tokamaks 2nd ed” (Wesson)
 - **Hinton and Hazeltine model**
 - **Sauter model**
 - **NCLASS package**



- **Fairly good agreement except Wilson model**

Comparison with JT-60 Experiment

- **Reversed Shear Configuration**

- **Shot number: 29728**

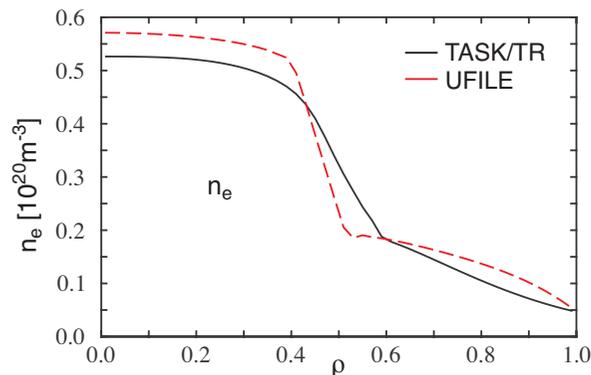
- Profiles q , P_e , P_i : given

- Metric data: given

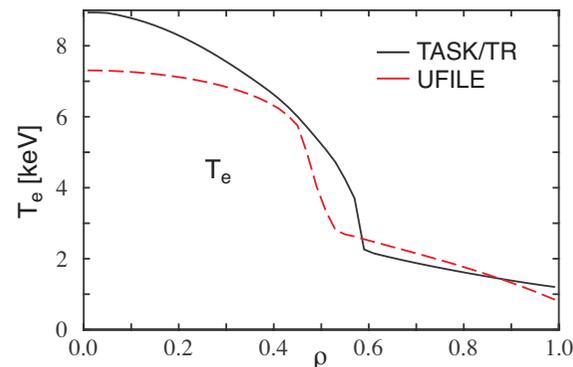
- Edge density and temperature: given

- Transport model: Sauter + CDBM(with $E \times B$ rotation)

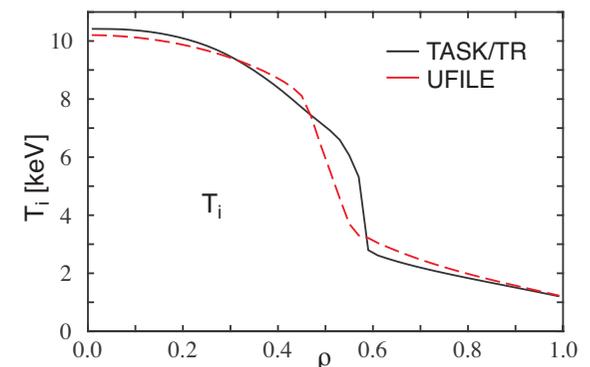
$n_e(\rho)$



$T_e(\rho)$

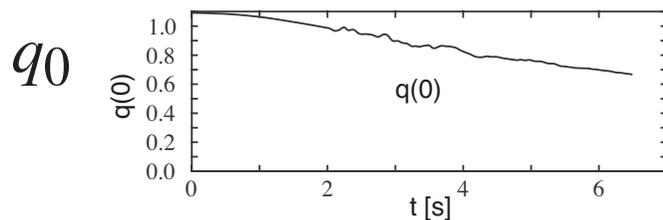
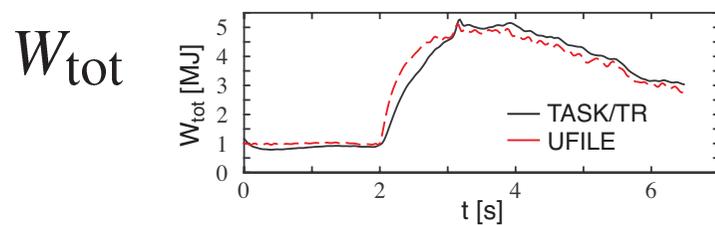
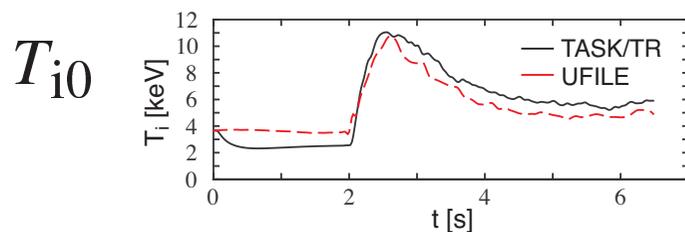
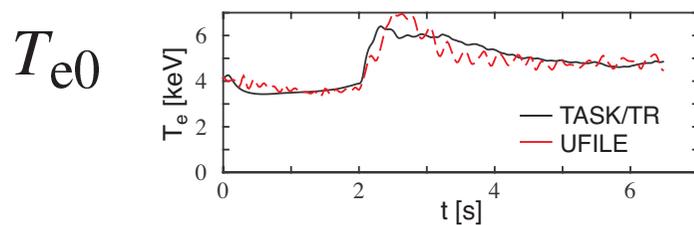


$T_i(\rho)$

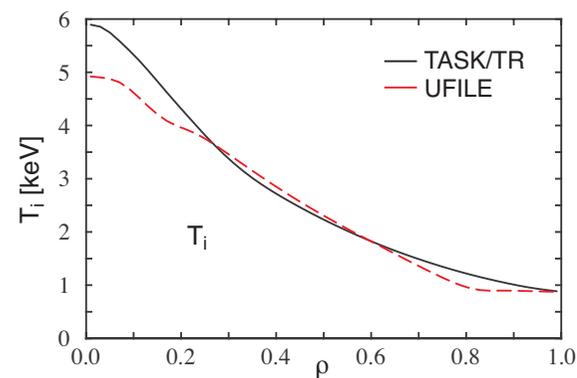
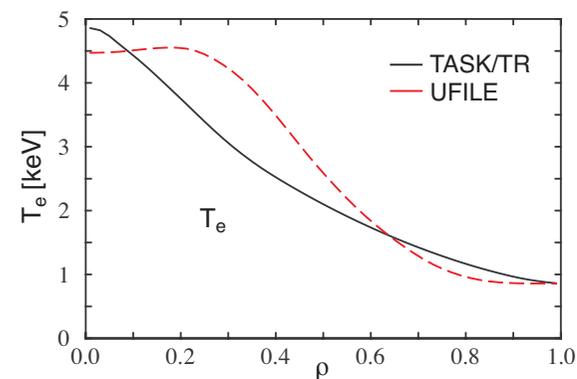


Comparison with JET Experiment

- Shot number: 19691



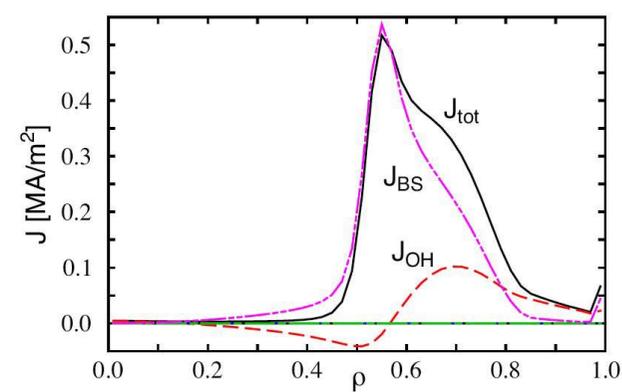
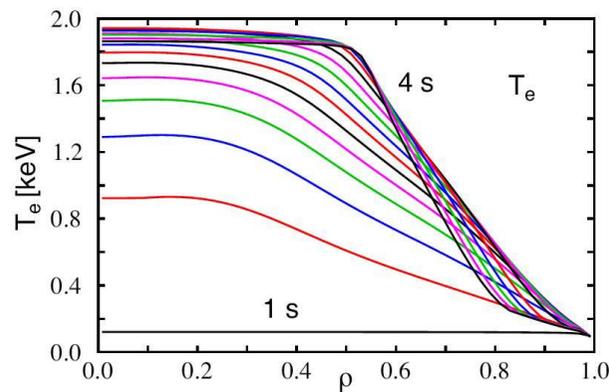
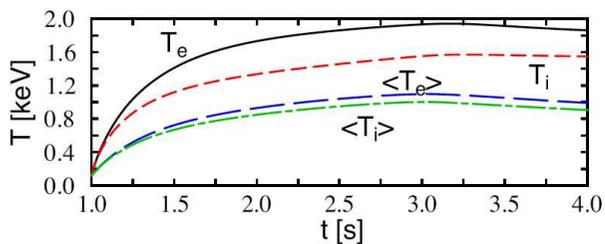
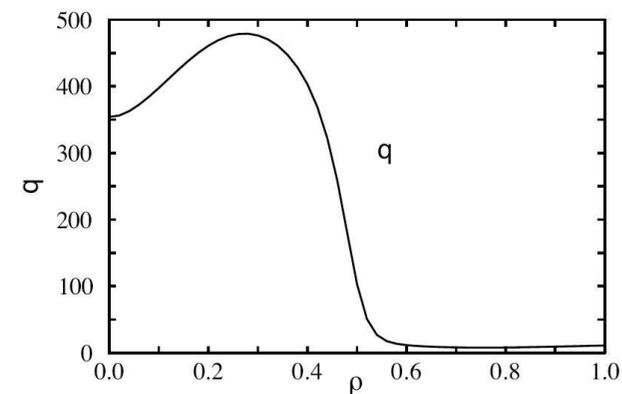
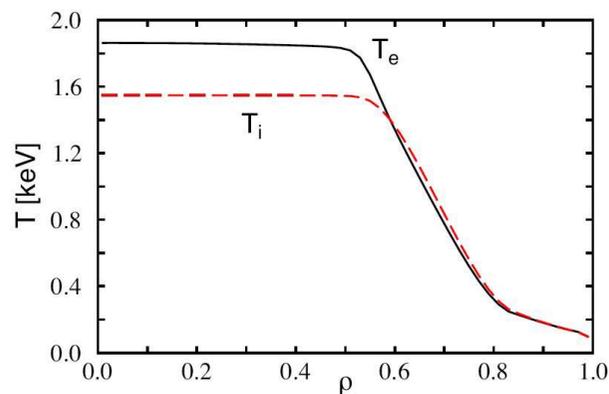
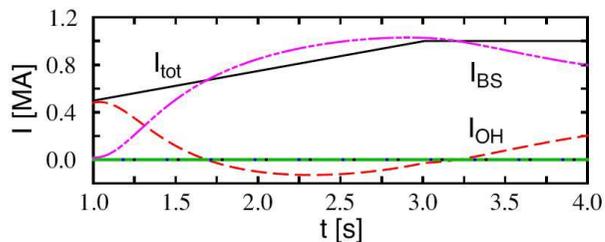
T_e and T_i



- Sawtooth relaxation slightly improves T_e profile.

Simulation of Current Hole Formation

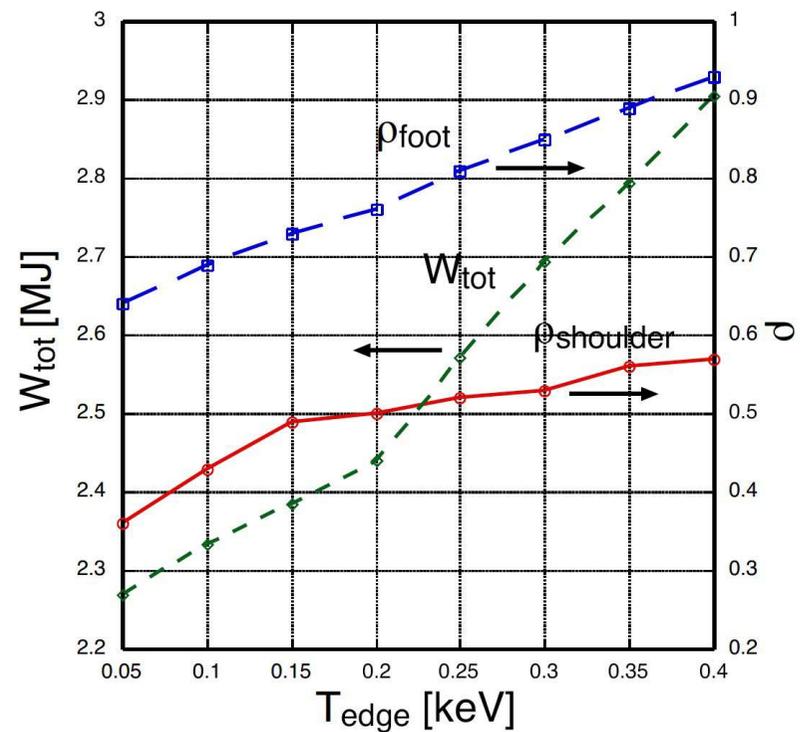
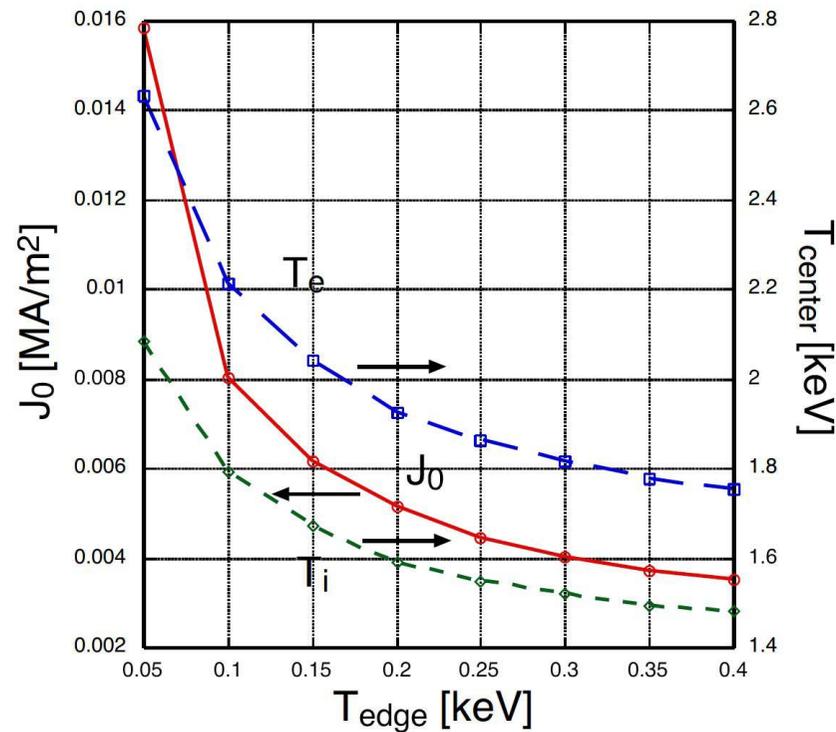
- Current ramp up: $I_p = 0.5 \rightarrow 1.0$ MA
- Moderate heating: $P_H = 6.5$ MW
- **Current hole** is formed.



Dependence on Edge Temperature ($P_{in} = 6.5$ MW, $r_H = 0.25$ m)

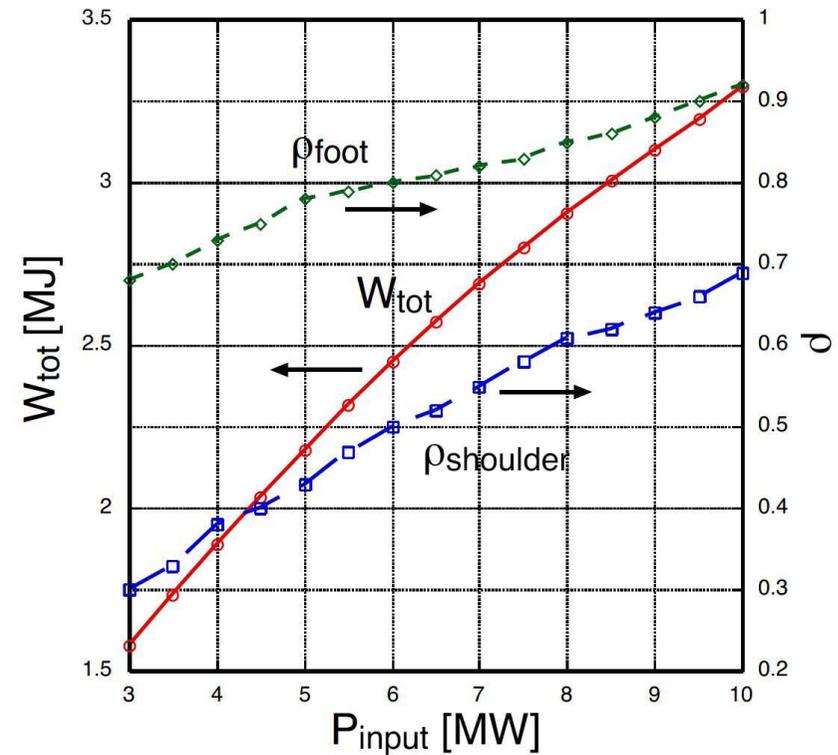
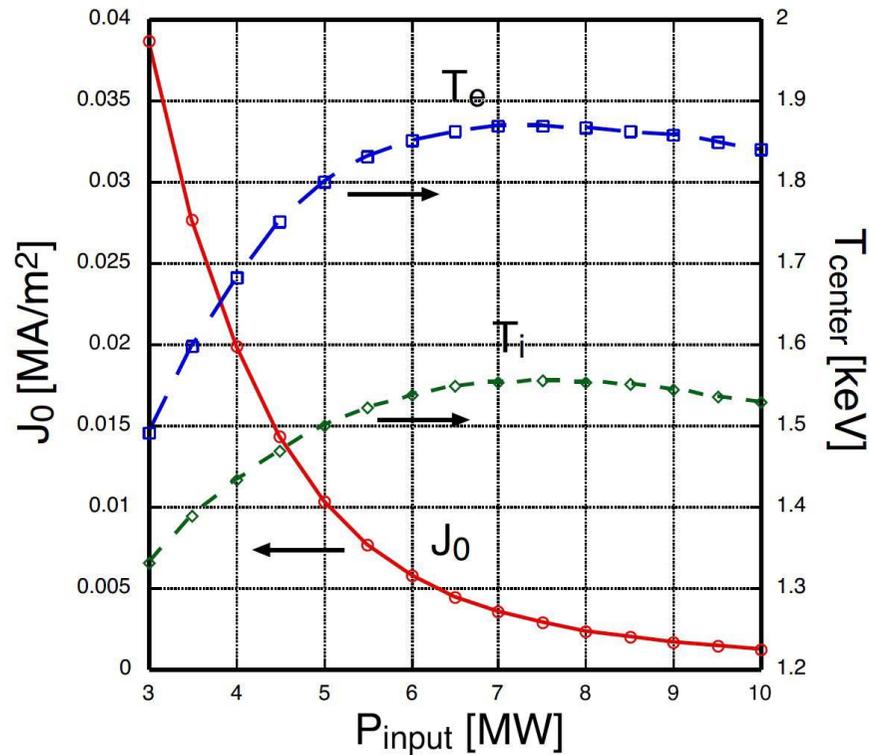
- **Sensitive to the Edge Temperature**

- Increase of Edge Temperature
- Slow Penetration of Current
- Outer ITB Foot



Dependence on Input Power ($T_{\text{edge}} = 0.25 \text{ keV}$, $r_{\text{H}} = 0.25 \text{ m}$)

- Current density on axis decays exponentially, no negative
- Increase of ITB foot leads to decrease of central temperature



Summary

- We have started Burning Plasma Simulation Initiative in Japan, but little financial support yet.
- We are developing TASK code as a reference core code for burning plasma simulation based on transport analysis.
- The TASK code is composed of modules: equilibrium, transport, wave analysis, velocity space analysis, and data interface. New modular structure is under construction.
- **Future work**
 - Improvement of modules: Full modular structure
 - Standard data interface with other simulation code
 - Systematic comparison with experimental data
 - Development of new modules: **WA, TX**