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Present Status of Integrated Tokamak Transport Code: TASK

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Contents

- TASK: Transport Analysing System for tokamaK
- TASK /TR /TX
- Impurity Modeling
- Summary

TASK Code

• Transport Analysing System for TokamaK

• Features

- A Core of Integrated Modeling Code in BPSI
 - Modular Structure
 - Reference Data Interface
- Various Heating and Current Drive Scheme
 - EC, LH, IC, AW, (NB)

• High Portability

- Most of Library Routines Included (except LAPACK and MPI)
- Own Graphic Libraries (gsaf, gsgl)
- **Development using CVS** (Concurrent Version System)
 - Open Source (by the end of 2004)
- Parallel Processing using MPI Library
- Extension to Toroidal Helical Plasmas

Modules of TASK

EQ	2D Equilibrium	Fixed boundary, Toroidal rotation
TR	1D Transport	Diffusive Transport, Transport models
WR	3D Geometr. Optics	EC, LH: Ray tracing, Beam tracing
WM	3D Full Wave	IC, AW: Antenna excitation, Eigen mode
FP	3D Fokker-Planck	Relativistic, Bounce-averaged
DP	Wave Dispersion	Local dielectric tensor, Arbitrary $f(v)$
PL	Data Interface	Data conversion, Profile database
LIB	Libraries	

Associated Libraries

GSAF 2D Graphic library for X window and EPS
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GSGL 3D Graphic library using OpenGL

All developed in Kyoto U

Present Structure of TASK



New Modules

- **EX**: 2D equilibrium with free boundary
- **TX**: Transport analysis based on flux-averaged fluid equation
- WA: Global linear stability analysis
- WI: Integro-differential wave analysis (FLR, $\mathbf{k} \cdot \nabla B \neq 0$)
- Extension to 3D Helical System
 - 3D Data Structure
 - **3D Equilibrium**: VMEC, HINT
 - Wave Analysis: Already 3D
 - Transport Analysis: New transport model
- New Modular Structure

New Modular Structure of TASK



Transport Analysis

• Level of Analysis:

- **TASK/TR**: Diffusive transport equation:
 - Flux-Gradient relation
 - Conventional transport analysis
- **TASK/TX**: Dynamical transport equation:
 - Flux-averaged fluid equation
 - Plasma rotation and transient phenomena
- **TASK/FP**: Kinetic transport equation:
- Bounce-averaged Fokker-Plank equation
- Modification of momentum distribution

Diffusive Transport Model

- **Transport Equation**: V: Volume, ρ : Normalized radius, $V' = dV/d\rho$
 - Particle transport

$$\frac{1}{V'}\frac{\partial}{\partial t}(n_s V') = -\frac{\partial}{\partial \rho} \left(V' \langle |\nabla \rho| \rangle n_s V_s - V' \langle |\nabla \rho|^2 \rangle D_s \frac{\partial n_s}{\partial \rho} \right) + S_s$$

• Toroidal momentum transport

$$\frac{1}{V'}\frac{\partial}{\partial t}(n_s u_{\phi s} V') = -\frac{\partial}{\partial \rho} \left(V' \langle |\nabla \rho| \rangle n_s u_{\phi s} V_{Ms} - V' \langle |\nabla \rho|^2 \rangle n_z \mu_s \frac{\partial u_{\phi s}}{\partial \rho} \right) + M_s$$

• Heat transport

$$\frac{1}{V'^{5/3}}\frac{\partial}{\partial t}\left(\frac{3}{2}n_sT_sV'^{5/3}\right) = -\frac{1}{V'}\frac{\partial}{\partial\rho}\left(V'\langle|\nabla\rho|\rangle\frac{3}{2}n_sT_sV_{Es} - V'\langle|\nabla\rho|^2\rangle n_s\chi_s\frac{\partial T_s}{\partial\rho}\right) + P_s$$

• Current diffusion

$$\frac{\partial B_{\theta}}{\partial t} = \frac{\partial}{\partial \rho} \left[\frac{\eta}{F R_0 \langle R^{-2} \rangle} \frac{R_0}{\mu_0} \frac{F^2}{V'} \frac{\partial}{\partial \rho} \left(\frac{V' B_{\theta}}{F} \left\langle \frac{|\nabla \rho|^2}{R^2} \right\rangle \right) - \frac{\eta}{F R_0 \langle R^{-2} \rangle} \langle \boldsymbol{J} \cdot \boldsymbol{B} \rangle_{\text{ext}} \right]$$

Diffusive Transport Analysis: TASK/TR

- Transport Equation Based on Gradient-Flux Relation
 - Multi thermal species: e.g. Electron, D, T, He
 - Density, thermal energy, (toroidal rotation)
 - \circ Two beam components: Beam ion, Energetic α
 - Density, toroidal rotation
 - Neutral: Two component (cold and hot), Diffusion equation
 Impurity: Thermal species or fixed profile

Transport Model

- Neoclassical: Wilson, Hinton & Hazeltine, Sauter, NCLASS
- **Turbulent**: CDBM (current diffusive ballooning mode), GLF23 (V1.61), IFS/PPPL, Weiland
- Interface to Experimental Data

• UFILE (ITPA profile DB)

Modeling of ETB Formation

• Transport Simulation including Core and SOL Plasmas

Role of Separatrix

Closed magnetic surface Some Open magnetic field line
 Difference of dominant transport process

Radial Electric Field

• Poloidal rotation, Toroidal rotation

- Polarization current
- Poisson equation

• Atomic Processes

Ionization, Charge exchange, Recycling

Dynamical Transport Model: TASK/TX

- **1D Transport code** (TASK/TX) *Ref. Fukuyama et al.*
- Two fluid equation for electrons and ions
 - Flux surface average
 - Coupled with Maxwell equation
 - Neutral diffusion equation

Neoclassical transport

Included as a poloidal viscosity term

Diffusion, resistivity, bootstrap current, Ware pinch

Anomalous transport

- Current diffusive ballooning mode
- Ambipolar diffusion through poloidal momentum transfer
- Perpendicular viscosity

• Fluid equations (electrons and ions)

$$\frac{\partial n_s}{\partial t} = -\frac{1}{r} \frac{\partial}{\partial r} (r n_s u_{sr}) + S_s$$

$$\frac{\partial}{\partial t} (m_s n_s u_{sr}) = -\frac{1}{r} \frac{\partial}{\partial r} (rm_s n_s u_{sr}^2) + \frac{1}{r} m_s n_s u_{s\theta}^2 + e_s n_s (E_r + u_{s\theta} B_{\phi} - u_{s\phi} B_{\theta}) - \frac{\partial}{\partial r} n_s T_s$$

$$\frac{\partial}{\partial t}(m_s n_s u_{s\theta}) = -\frac{1}{r^2} \frac{\partial}{\partial r} (r^2 m_s n_s u_{sr} u_{s\theta}) + e_s n_s (E_\theta - u_{sr} B_\phi) + \frac{1}{r^2} \frac{\partial}{\partial r} \left(r^3 n_s m_s \mu_s \frac{\partial}{\partial r} \frac{u_{s\theta}}{r} \right)$$

$$+F_{s\theta}^{\rm NC} + F_{s\theta}^{\rm C} + F_{s\theta}^{\rm W} + F_{s\theta}^{\rm X} + F_{s\theta}^{\rm L}$$

$$\frac{\partial}{\partial t} \left(m_s n_s u_{s\phi} \right) = -\frac{1}{r} \frac{\partial}{\partial r} (r m_s n_s u_{sr} u_{s\phi}) + e_s n_s (E_\phi + u_{sr} B_\theta) + \frac{1}{r} \frac{\partial}{\partial r} \left(r n_s m_s \mu_s \frac{\partial}{\partial r} u_{s\phi} \right)$$

$$+F_{s\phi}^{\rm C}+F_{s\phi}^{\rm W}+F_{s\phi}^{\rm X}+F_{s\phi}^{\rm L}$$

$$\frac{\partial}{\partial t}\frac{3}{2}n_sT_s = -\frac{1}{r}\frac{\partial}{\partial r}r\left(\frac{5}{2}u_{sr}n_sT_s - n_s\chi_s\frac{\partial}{\partial r}T_e\right) + e_sn_s(E_\theta u_{s\theta} + E_\phi u_{s\phi})$$

$$+P_s^{\rm C}+P_s^{\rm L}+P_s^{\rm H}$$

Model Equation (2)

Neutral Transport

$$\frac{\partial n_0}{\partial t} = -\frac{1}{r} \frac{\partial}{\partial r} \left(-r D_0 \frac{\partial n_0}{\partial r} \right) + S_0$$

Maxwell equations

$$\frac{1}{r}\frac{\partial}{\partial r}(rE_r) = \frac{1}{\epsilon_0}\sum_s e_s n_s$$

$$\frac{\partial B_{\theta}}{\partial t} = \frac{\partial E_{\phi}}{\partial r}, \qquad \frac{\partial B_{\phi}}{\partial t} = -\frac{1}{r} \frac{\partial}{\partial r} (rE_{\phi})$$

$$\frac{1}{c^2}\frac{\partial E_{\theta}}{\partial t} = -\frac{\partial}{\partial r}B_{\phi} - \mu_0 \sum_{s} n_s e_s u_{s\theta}, \qquad \frac{1}{c^2}\frac{\partial E_{\phi}}{\partial t} = \frac{1}{r}\frac{\partial}{\partial r}(rB_{\theta}) - \mu_0 \sum_{s} n_s e_s u_{s\phi}$$

Typical Profiles



Impurity Modeling

- 1. Simplest Model: Originally implemented in TASK/TR
 - Fixed profile proportional to nne profile
 - Charge state and radiation power as a function of T_e
- 2. Diffusive Transport for Average Charge State
 - Diffusive transport equation of one component for one impurity species
 - Charge state and radiation power as a function of T_e
 - Complicated to keep charge neutrality

3. Diffusive Transport for Each Charge State

- Diffusive transport equation of multi component for one impurity species
- Ionization, recombination, radiation as a function of T_e
- Requires large computational power

4. Coupling with Impurity Code

Interface with Impurity Code

Standard data set to describe plasma status

 device data, magnetic data, metric data, fluid data, kinetic data, ray tracing data, full wave data

• Structured data (Fortran 95)

Standard data interface to exchange data

Data transfer through subroutine arguments
 Without common for data transfer between modules

Standard execution interface to control modules

Initialization, parameter input, execution, output

Standard Dataset (draft)

- Normalized minor radius: $\rho = \sqrt{\psi_t/\psi_{ta}}$
- Device data:
- Equilibrium data:
- $\langle 1/R^2 \rangle, \langle |\nabla \rho|^2/R^2 \rangle, \langle |\nabla \rho| \rangle, \langle |\nabla \rho|^2 \rangle, dV/d\rho, \ldots, g_{ii}$ Metric data:
- Fluid plasma data:
- Kinetic plasma data:
- Ray tracing data:
- Full Wave data:

 $\psi_{p}(R,Z), \psi_{p}(\rho), p(\rho), I_{\theta}(\rho), q(\rho), j_{\parallel AV}(\rho)$ $A_s, Z_s, n_s(\rho), T_s(\rho), u_{\phi s}(\rho)$ $f(p, \theta_p, \rho)$ $R_{ray}(\ell), Z_{ray}(\ell), \phi_{ray}(\ell), E(\ell)$ $E(\rho, \chi, \xi), B(\rho, \chi, \xi), P_{abs}(\rho, \chi, \xi)$

*R*₀, *a*, *b*, *B*₀, *к*, *δ*, *I*_p

- Data Exchange Interface
 - Structured data (Fortran95)
 - **BPSI_GET('FL1D', BPSI_FL1D)**: BPSI_FL1D%PS(NS)%PT(NR)
 - BPSI_SET('FL1D', BPSI_FL1D)

• Common Control Interface (tentative)

 \circ XX=PL or EQ or TR or DP or WR or WM or FP

XXINIT	Initialization (default value, parameter file)
XXPARM(ID,P)	Parameter input (namelist, text, file)
XXPROF	Setup initial profile
XXEXEC(DT)	Execution (calculation or one time step)
XXGOUT (P)	Graphic output (command text)
XXSAVE	File output of calculation results
XXLOAD	File input of calculation results
XXTERM	Termination

Summary

- We are developing TASK code as a reference core code for burning plasma simulation based on transport analysis.
- The TASK code is composed of modules: equilibrium, transport, wave analysis, velocity space analysis, and data interface.
- Works in progress
 - Open source: Removing proprietary subroutines
 - Improvement of modules: Fully modular structure
 - Standard data interface with other simulation code
- Welcome to integrate Impurity module
